

Discussion Section 7

- #1. paired comparison - repeated measures

each girl serves as a block, blocks are randomized. each block has 2 elements

i represents the individual (the girl) \bar{Y}_B is the average of (1) & (2)

(a) practsig? No for 1 year of growth at a time, Yes for continual growth.

(b) Make an inferential model (this example is similar to the deer forelimb study)

\bar{d} is an est. of μ_d

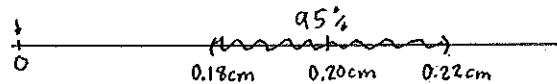
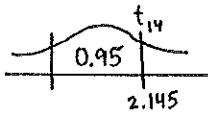
population: girls in North America of ages 5-6 in the 1950s

Build a 95% Confidence Interval:

$$\bar{d} \pm (t_{n-1}) \frac{\sigma_d}{\sqrt{n}}$$

$$0.2 \pm (2.145) \frac{0.0393}{\sqrt{15}}$$

$$0.2 \pm (2.145)(0.0101)$$



0 is not even close to this interval

Highly, highly significant

fun fact: the secular trend in height refers to the generational increase in height due to improved nutrition

< smaller than << a lot smaller than

Discussion Section 8

- #1. Completely randomized design, valid design to see if one drug is better than another on average

quantitative continuous \bar{Y} 2 samples, independent (sample sizes are different!)

(This example is similar to the daphnia study)

(a) sample 1 ⑧	$n_1 = 6$	$s_1 = 0.58$	$\bar{Y}_1 = 8.75 \text{ min}$
2 ⑨	$n_2 = 7$	$s_2 = 0.82$	$\bar{Y}_2 = 9.74 \text{ min}$

B ~ 11% faster

Practsig? Yes (but 8 mins is still a long time)

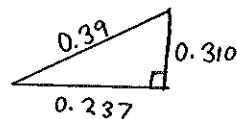
(2)

(b) Build the confidence interval

$$(\mu_1 - \mu_2)$$

$$\bar{y}_1 - \bar{y}_2 = -0.99 \text{ min}$$

$$\widehat{SE}(\bar{y}_1 - \bar{y}_2) = \sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}} = \sqrt{\frac{(0.58)^2}{6} + \frac{(0.82)^2}{7}} = 0.39003 \\ = 0.39 \text{ mins}$$

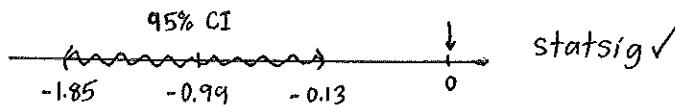


z number for bign
1.96

SE

$$(\bar{y}_1 - \bar{y}_2) \pm (t_{n_1+n_2-2})(0.390) \\ t_{11} = 2.201$$

$$= (-0.99 \pm 0.86 \text{ mins})$$



2 (quick talk-through)

100 out of 10,000 vs. 56 out of 10,000

practsig? yes worthy investment (an hour on a bike cuts risk in half)

dichotomous, 2 samples, independent

(This example is similar to the Redwood trees & SOD study)